

Ex. 14.5 # 20, 21, 23

p 437

$$f' = f \left( \frac{v + v_o}{v} \right)$$

observer <sup>add on</sup>  
in motion top

$$f' = f \left( \frac{v}{v - v_s} \right)$$

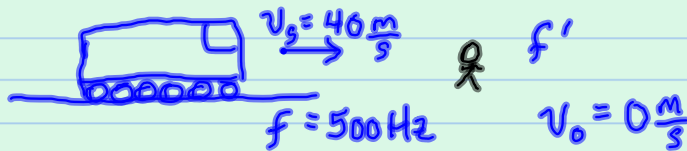
source <sup>subtract</sup>  
in motion on botm

$$f' = f \left( \frac{v + v_o}{v - v_s} \right)$$

both in motion

(-) v if going away  
+ v if coming towards

p 438



$$f' = f \left( \frac{v}{v - v_s} \right) = 500 \left( \frac{345}{345 - 40} \right)$$

$$= 566 \text{ Hz}$$

how do w/ train going away  $-40 \frac{m}{s}$

$$f' = 500 \left( \frac{345}{345 - (-40)} \right) = 448 \text{ Hz}$$

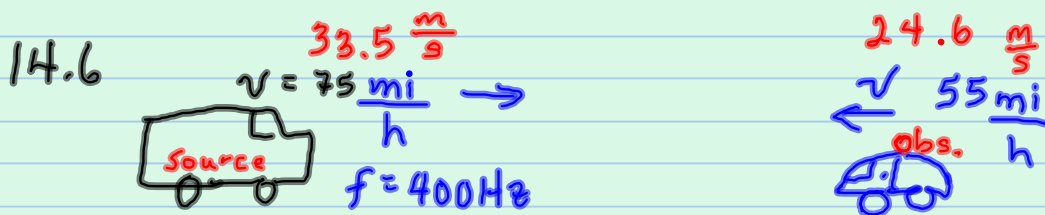
Doppler

source moves closer  
f sounds like  $\uparrow$

moves away  
f sounds like  $\downarrow$

v <sup>sound</sup>  
345 <sup>m/s</sup>  
v<sub>o</sub> observer  
v<sub>s</sub> source

use  $v = 345 \frac{m}{s}$



car  
towards

$$f' = f \left( \frac{v + v_o}{v - v_s} \right)$$

$$= 400 \left( \frac{345 + 24.6}{345 - 33.5} \right) = 475 \text{ Hz}$$

car  
away

$$f' = f \left( \frac{345 + 24.6}{345 + 33.5} \right) = 339 \text{ Hz}$$